

General Remarks

- At least one site, there should be a large area with closely spaced-detectors ('infilled')
- The dynamic range of the detectors is very important
- Area of Detectors: larger the better but perhaps limited by road width

Linsley (in 1977) achieved 0.5 to $5 \times 10^5 \text{ m}^{-2}$ on the compressed VR array

- We really know **NOTHING** about what goes on close to the core ($< 500 \text{ m}$) of a shower of 10 EeV . Surely this is a place to test forward-physics
- Also we must try to see shower-to-shower differences in LDF – important measurement related to mass measurement
 - Choice of geometry of layout is important

Use of the Signal at an Optimal Distance from the Shower Core as Surrogate for Shower Size

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Hillas (1969) analysed 50 events, recorded using the Haverah Park array of the time – a star-shaped geometry – using power-law lateral-distribution functions, differing by 0.6 (consistent with observations)

For the early Haverah Park geometry,

Hillas found that the fluctuation in the signal at 500 m was less than 12%

For E_{100} , with the same values of the power law, differences were typically around 1.7

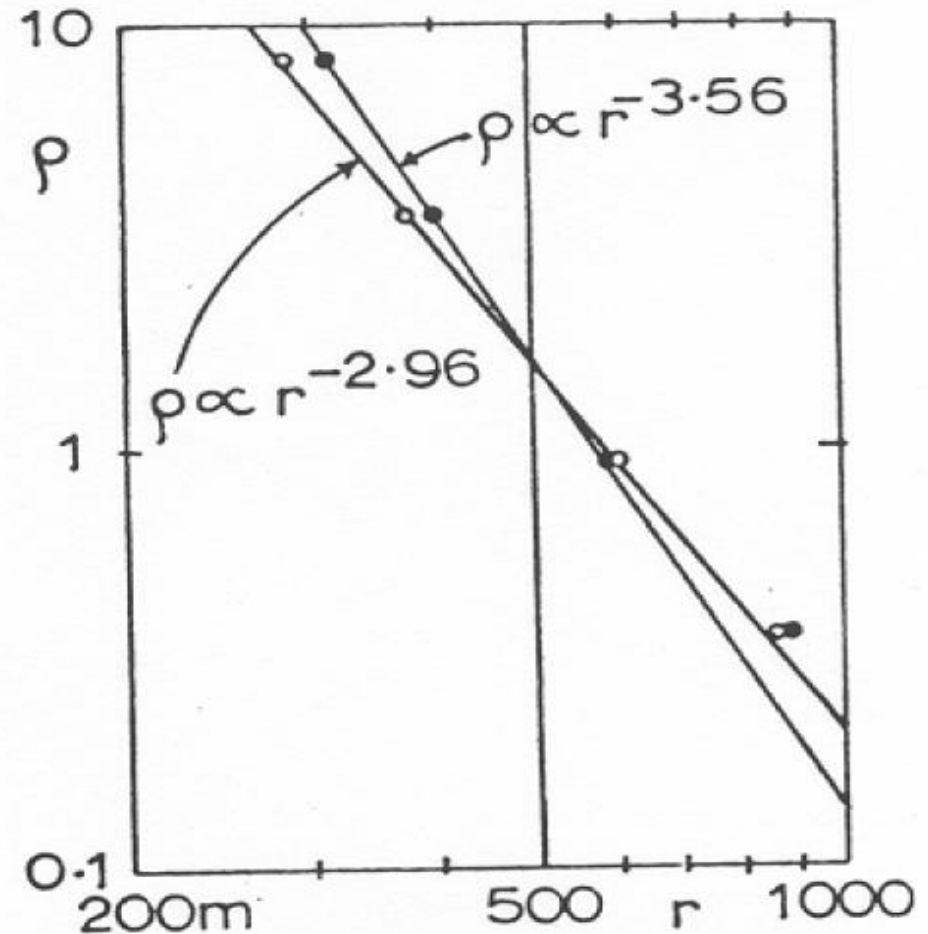


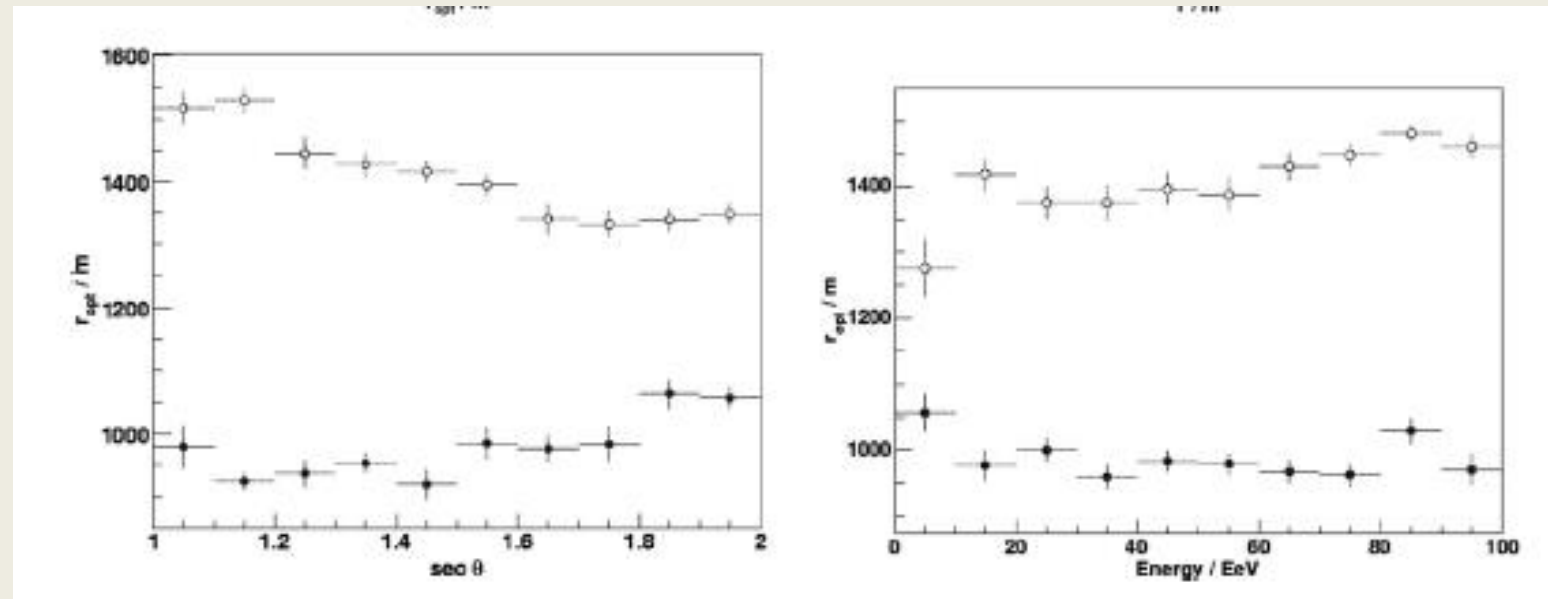
Fig. 2: Effect of change of assumed structure function in analysis of a shower. Hillas 1971

Detailed study for Auger Observatory (Newton, Knapp and Watson et al 2007)

LDF	r_{opt}/m , mean	r_{opt}/m , RMS	$\Delta S(1000) = \frac{S(1000)_{LDF}}{S(1000)_{NKG}}$
Power law	960	110	1.045 ± 0.001
'Haverah Park'	940	100	0.986 ± 0.001
'NKG' type	970	110	1.00

Difference between optimum values for various ldfs (940 – 970 m) typically shows a spread in $S(r)$ smaller than that at 1000 m of ~2%. So using 100m rather than smaller value not very important

Very little dependence on zenith angle or energy



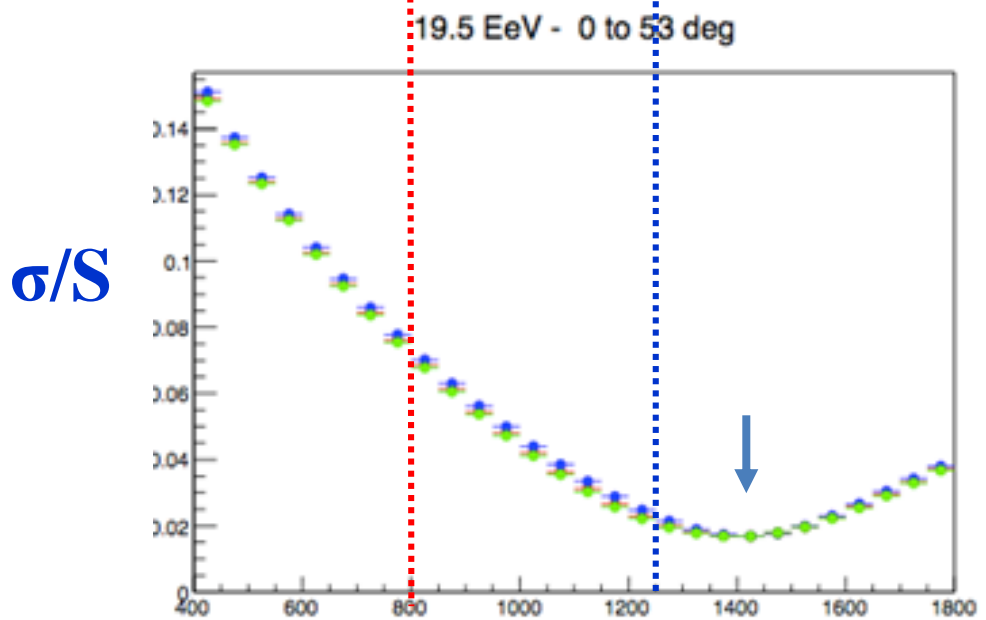
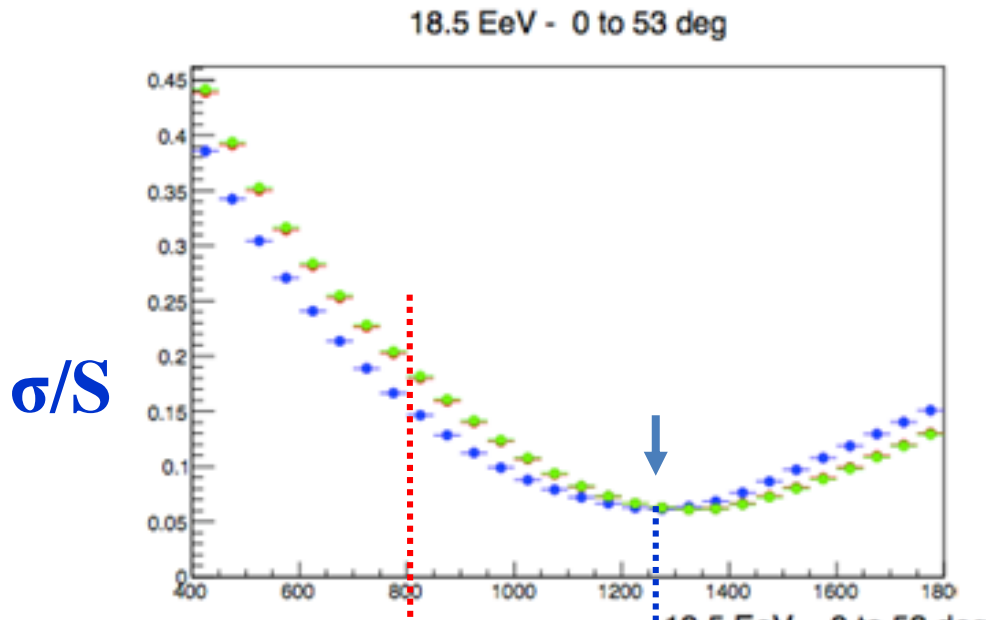
Dependence of r_{opt} on detector spacing?

- For triangular geometry: $\sim 2/3$ of spacing is appropriate choice for r_{opt}
- Used (and checked) for 750 m array of Auger Observatory
- Used (**but not checked**) by TA for square array
- No obvious relation for HP geometry used in Hillas's seminal work

Does the layout of the detectors have an influence on the r_{opt} to be used?

Auger: Triangular grid 1500 m
Telescope Array: Square grid 1200 m

Simulations using TA array with Water-Cherenkov detectors – for two energies and range of angles



Green – no saturated stations
 Blue – saturated stations
 Red – all

σ/S is larger at 800 m than at r_{opt}

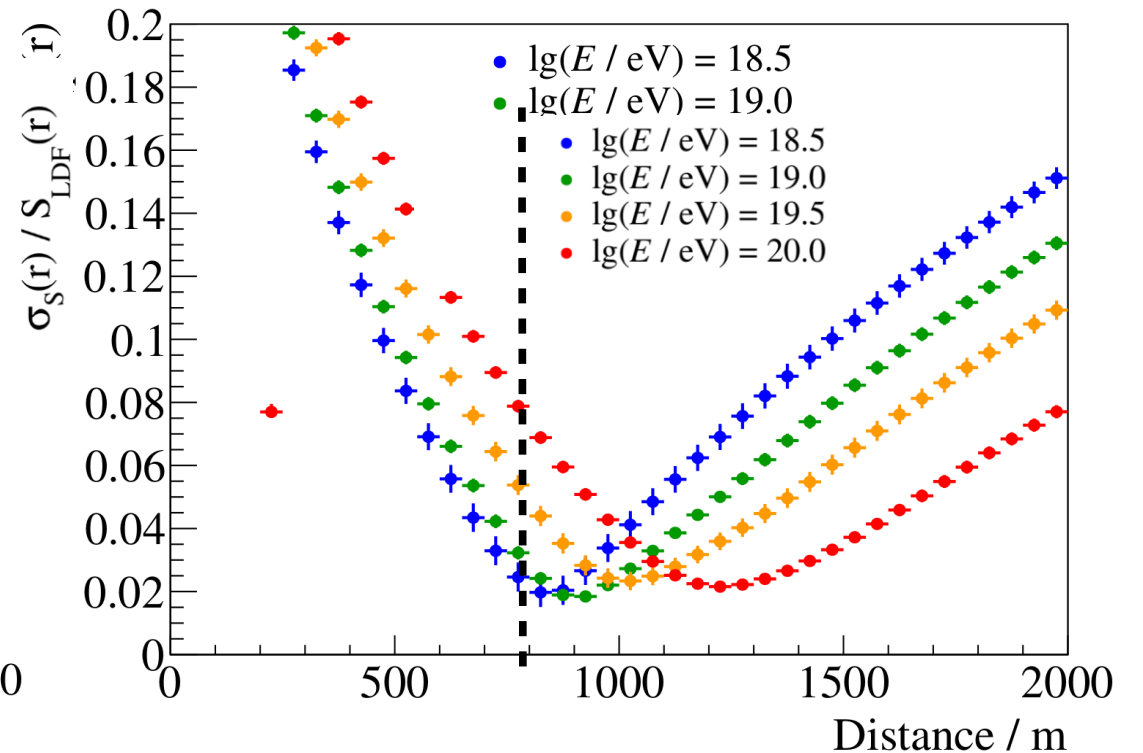
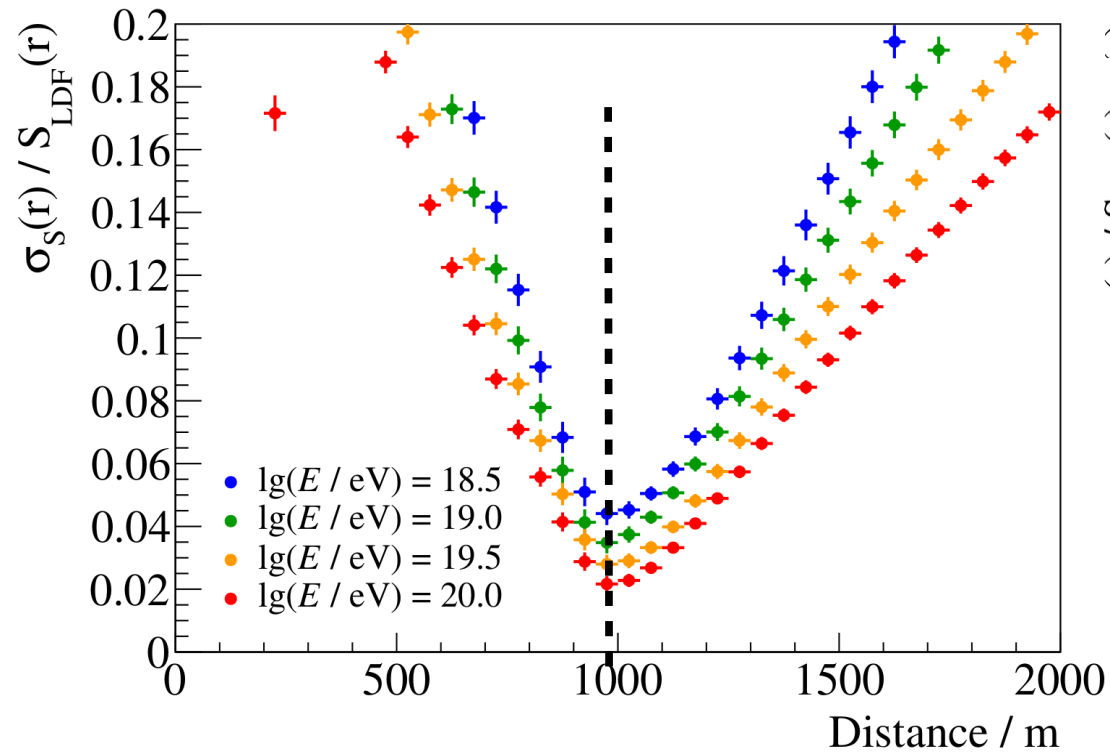
log E = 18.5: 7% vs ~20% 19.5: 2% vs ~7%

Comparison of results for Triangular and Square grids

QGSJet-II.04 $\theta = 0^\circ$
Proton

WCD - Triangular grid – 1500 m
Auger-NKG LDF

SSD - Square grid – 1200 m
AGASA LDF



Fluctuations of $S(r_{\text{opt}})$

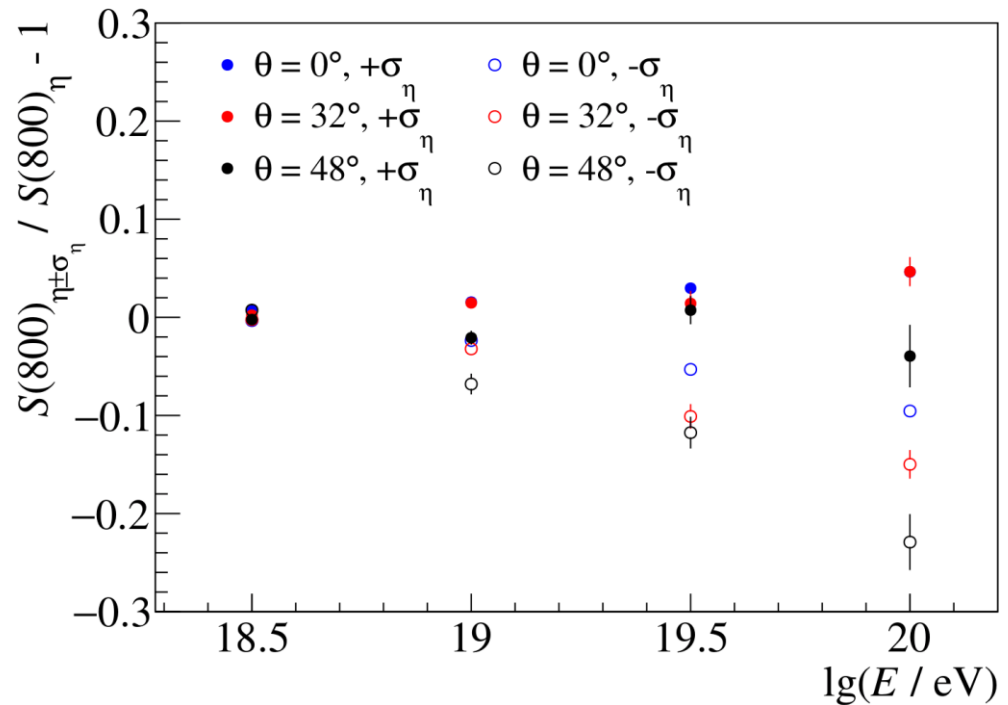
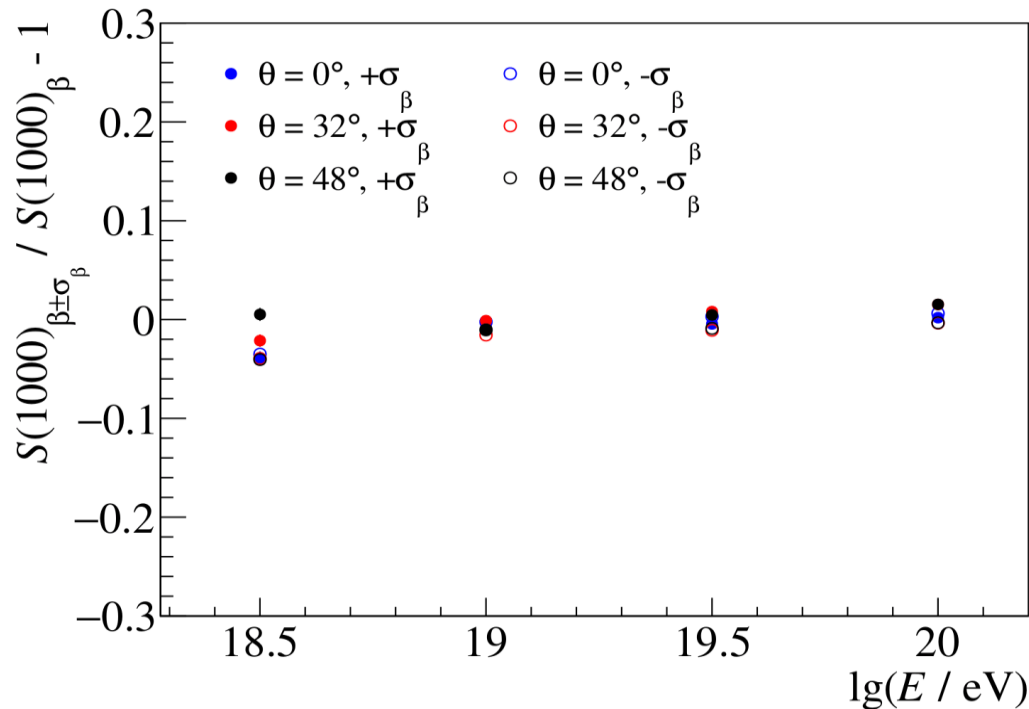
Fluctuations in $S(1000)$ are biased because of underlying differences in β , the LDF parameter.
Biases stronger for scintillators

$$\theta = 0^\circ$$

QGSJet-II.04
Proton

WCD - Triangular grid – 1500 m
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Take home messages:

- **Layout of an array has an impact on r_{opt}**
- **Difference between triangular and square array is important**
- **r_{opt} dependence should be investigated for planned geometries**
- **Desirable that r_{opt} does not depend on energy**
- **But, WHY is there this dependence?**
We are thinking hard about this

I know of no other systematic study of Triangular vs Square

- **Triangular used at MIT, VR, HP, AGASA, Yakutsk.....**
- **Square at CASA, KASCADE and SUGAR (Auger North!)**